

Discussion:

Physics Benchmarks for Lepton Colliders

Purpose of Benchmarks:

Probe efficacy of Muon Collider (cone angle, bkgnds, pol., L, dE/E , E)

Compare and contrast e^+e^- and $\mu^+\mu^-$ machines:

Energy reach?

Luminosity?

polarization?

dE/E ?

Test physics discovery potential against background and geometry issues

Benchmarks should be robust as the new physics emerges at LHC

Provide useful issues for detector simulation studies

e.g., how is forward WW fusion impacted by cone blockout?

how is reconstruction affected by polarization, dE/E ?

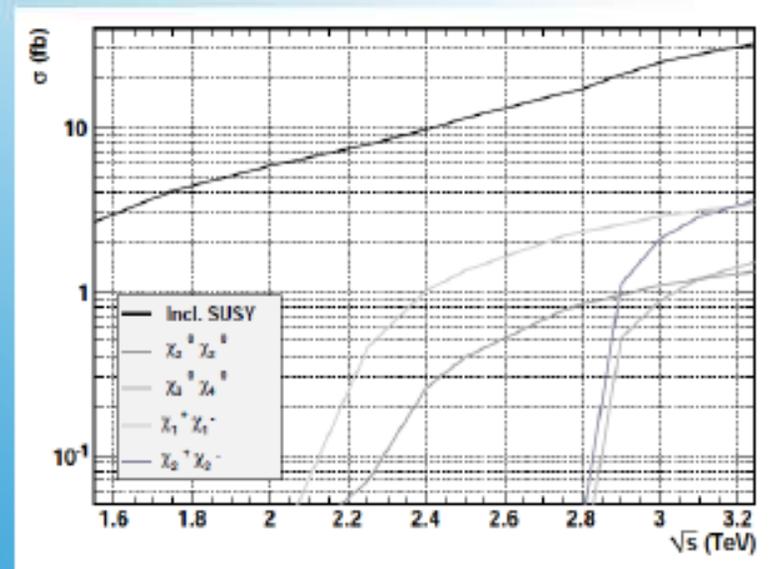
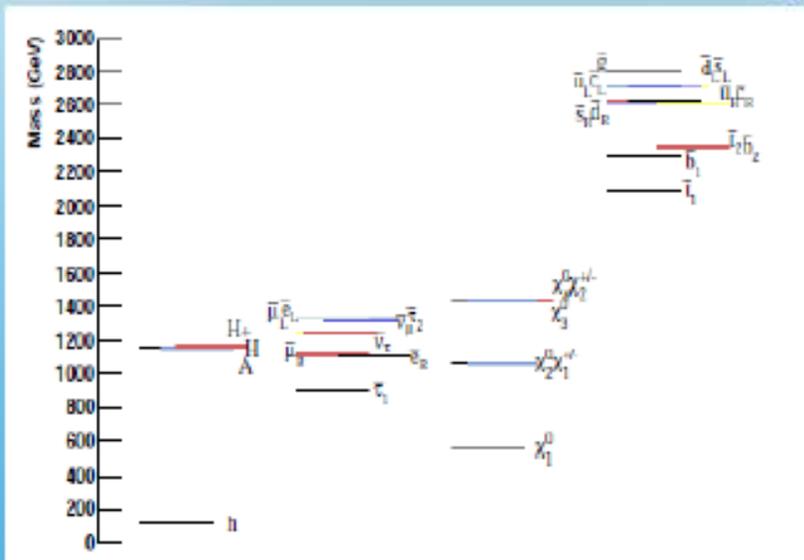
Discussion points:

- (1) Supersymmetry full model simulations
- (2) Extra Dimensions: KK Modes (Moose models)
- (3) Contact Interactions
- (4) Z' Narrow Resonances
- (5) WW , WZ , ZZ fusion processes
- (6) Higgs and Multi-Higgs (H^0 A^0 Resonances)
- (7) Dark Matter (gamma + missing E)
- (8) New Strong Dynamics
- (9) Standard Model Physics

(1) Full Scale SUSY Simulations (M. Battaglia)

Multi-TeV lepton collisions likely to be required by new physics signals at the Tera-scale: essential to understand the intrinsic limitations of e^+e^- and $\mu^+\mu^-$ in terms of practical collision energy (and luminosity);

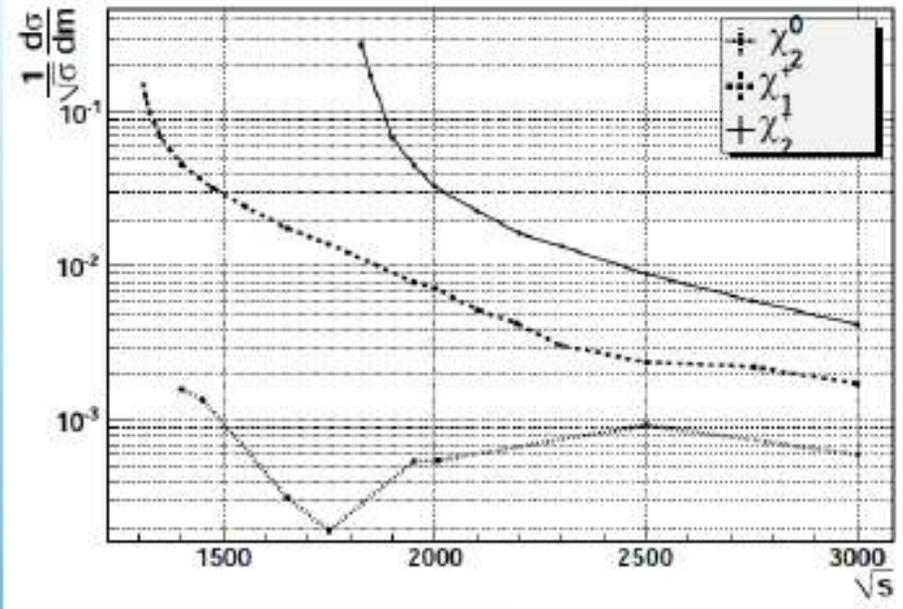
Several scenarios of new physics have thresholds for s-channel particle production extending over considerable energy span: need to evaluate achievable accuracy of measurements within realistic run plan;



This is an Industry Standard in e+e- machine studies.

Illustrate strength of polarization and energy resolution in reconstruction and physical parameter determination

Battaglia:



Particle	Mass (GeV)	Born	ISR	ISR+BS	ISR+BS +Bkg	w/ Pol (+0.8/0)	w/ Pol (+0.8/-0.6)
Model I							
χ_1^\pm	643.2	± 0.6	± 0.6	± 0.7	± 0.7	± 0.5	± 0.4
χ_2^0	643.1	± 4.3	± 13.8	± 24.1	± 25.6	± 23.9	± 18.1
χ_2^\pm	916.7	± 0.8	± 0.9	± 1.3	± 1.4	± 1.1	± 0.9

arXiv:1104.0523

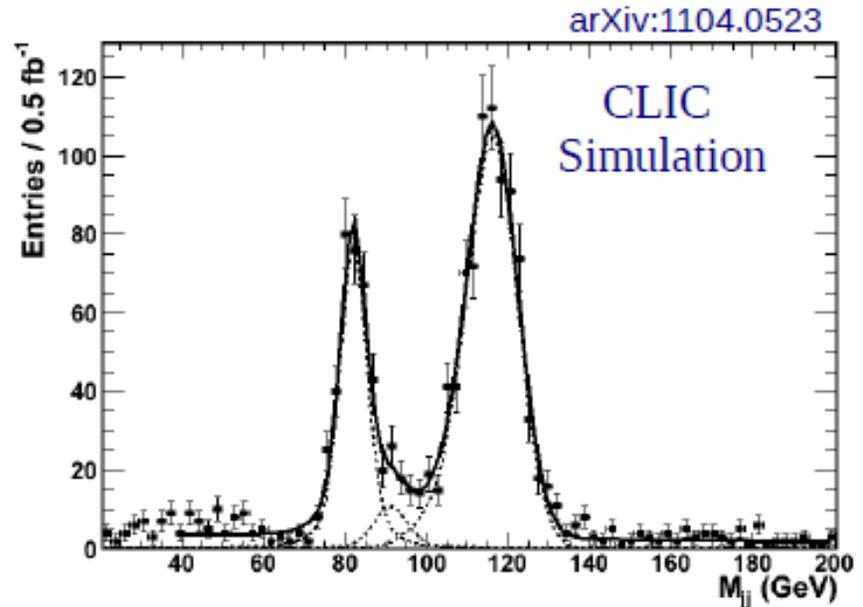
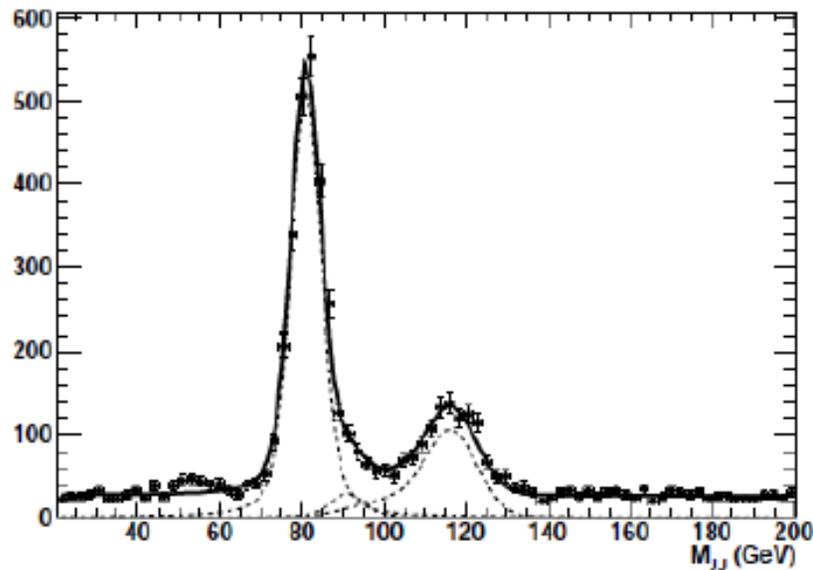
Battaglia:

Process	Signature	Detector Challenges	Machine Challenges
$H^0, A^0 \rightarrow bb$ $H^+H^- \rightarrow tb$	Multi-jets	b tagging δE_{jet} w/ kin fitting	δE_{beam} Higgs
Gaugino pairs, $\chi \rightarrow W/Z/h$	Multi-jets+ $E_{missing}$	dEjets w/o kin fitting Jet clustering	$\delta E_{beam}, bkg$ L vs E_{beam} Threshold scan
Slepton pairs	Leptons+ $E_{missing}$	Lepton id δE at high E	L vs E_{beam} Threshold scan Polarisation
Squark pairs	Multi-jets+ $E_{missing}$	δE_{jet} at highest E	
EW observables in $\mu\mu, bb, tt$	Multi-jets, Fwd	b tagging at highest E Quark charge, Fwd	Polarisation, bkg
$\nu\nu H \rightarrow \mu\mu$ $\nu\nu H \rightarrow bb$	Fwd Fwd b jets	Fwd E reco Fwd b tagging	bkg
$\nu\nu HH \rightarrow bbbb$	Fwd b jets	Fwd b tagging, Jet clustering	L, bkg, Polarisation
$\nu\nu WW / \nu\nu ZZ$	Multi-jets Fwd	W/Z separation, Fwd	bkg

SUSY Gaugino Pair Production

Battaglia:

- $e^+e^- \rightarrow \chi_1^+\chi_1^- \rightarrow W^+\chi_1^0W^-\chi_1^0; W \rightarrow q\bar{q}'$,
- $e^+e^- \rightarrow \chi_2^0\chi_2^0 \rightarrow h^0\chi_1^0h^0\chi_1^0; h \rightarrow b\bar{b}$,
- $e^+e^- \rightarrow \chi_2^+\chi_2^+ \rightarrow W^+\chi_2^0W^-\chi_1^0 \rightarrow W^+h^0\chi_1^0W^-\chi_1^0; h \rightarrow b\bar{b}, W \rightarrow q\bar{q}'$,
- $e^+e^- \rightarrow \chi_2^+\chi_2^+ \rightarrow h^0\chi_1^+W^-\chi_1^0 \rightarrow h^0W^+\chi_1^0W^-\chi_1^0; h \rightarrow b\bar{b}, W \rightarrow q\bar{q}'$,
- $e^+e^- \rightarrow \chi_2^+\chi_2^+ \rightarrow Z^0\chi_1^+W^-\chi_1^0 \rightarrow Z^0W^+\chi_1^0W^-\chi_1^0; Z \rightarrow q\bar{q}, W \rightarrow q\bar{q}'$,
- $e^+e^- \rightarrow \chi_4^0\chi_3^0 \rightarrow W^+\chi_1^-W^-\chi_1^+ \rightarrow W^+W^-\chi_1^0W^+W^-\chi_1^0; W \rightarrow q\bar{q}'$.



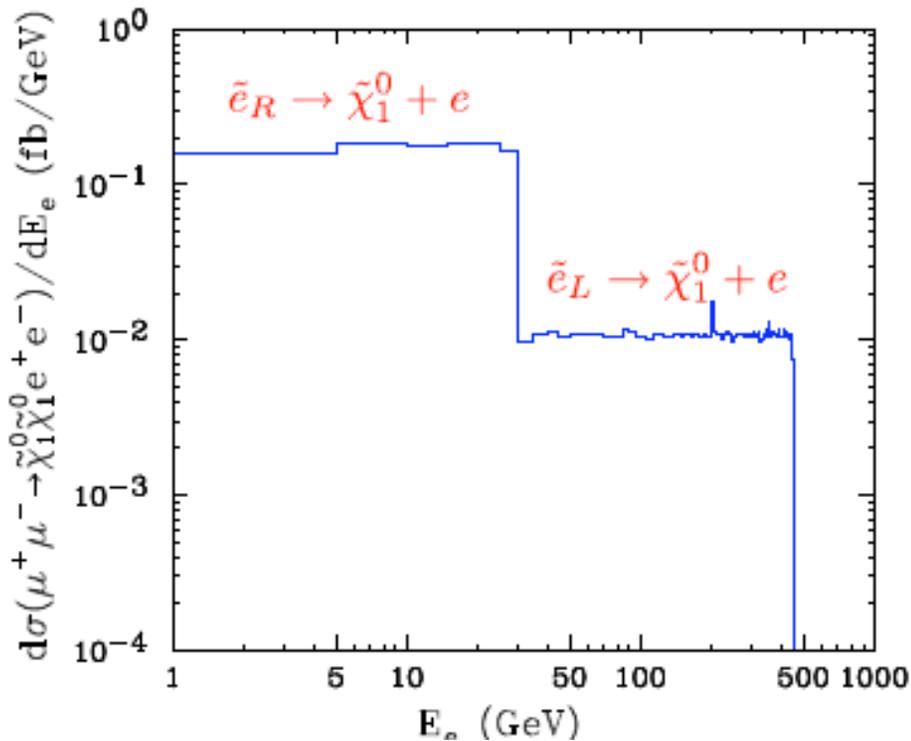
Subset of processes may be particularly illustrative owing to complexity; e.g.

$$\mu^+ \mu^- \rightarrow \tilde{e}_1^+ \tilde{e}_1^- \rightarrow \tilde{\chi}_1^0 \tilde{\chi}_1^0 e^+ e^-$$

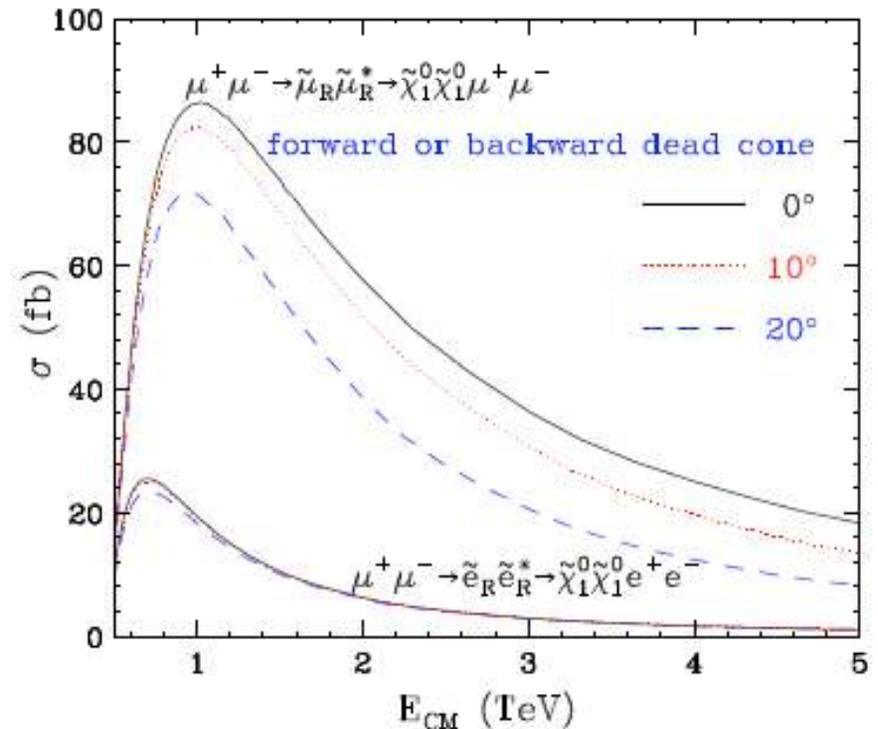
Study advantage of small dE/E in mass determination from sharp kinematic edges:

Kong, Winter (MC)

$$m_{\tilde{\chi}_1^0} = 212; m_{\tilde{e}_R} = 222; m_{\tilde{e}_L} = 374 \text{ GeV}$$



Study severity of forward cone obstruction



(1) SUSY Discussion:

Is there a standard SUSY model for this (as there was in ILC era)?
The electron and muon communities should agree upon this.

Should we take these models seriously? They are probably not likely to be realistic contenders anymore (e.g., fine tuning), or are they? Robust?

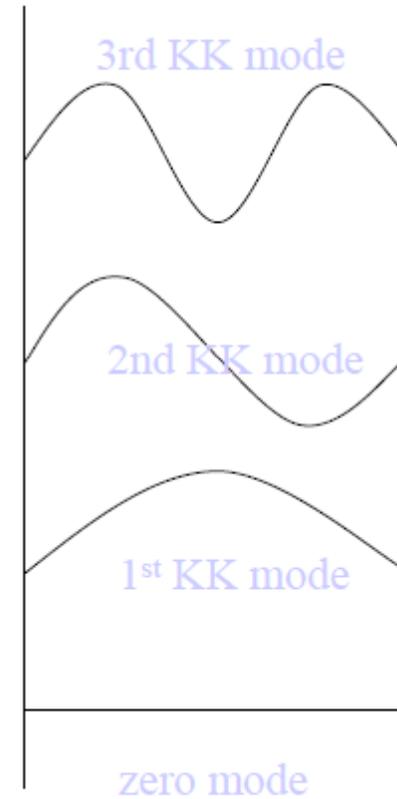
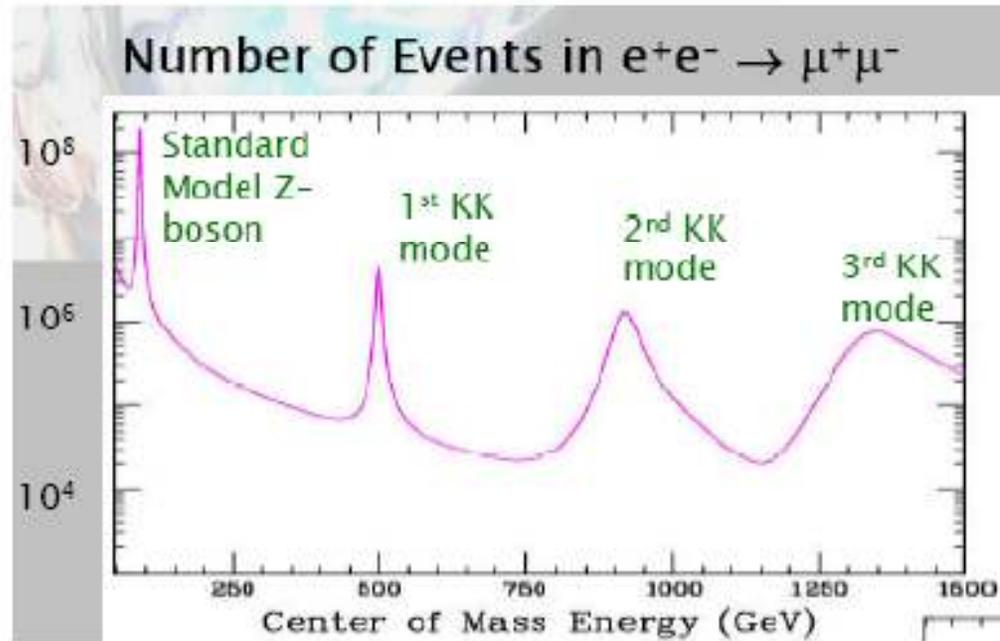
Advantage: they offer rather well defined complex processes worthy of study.
Industry standard.

Strategy: Can we abstract generic sub-processes from these models and analyze them thoroughly in both machines?

(eg, $\mu^+ \mu^- \rightarrow \tilde{e}_1^+ \tilde{e}_1^- \rightarrow \tilde{\chi}_1^0 \tilde{\chi}_1^0 e^+ e^-$)

Can the sophisticated analysis software for e+e- be adapted to MC?
Who will undertake this and when?

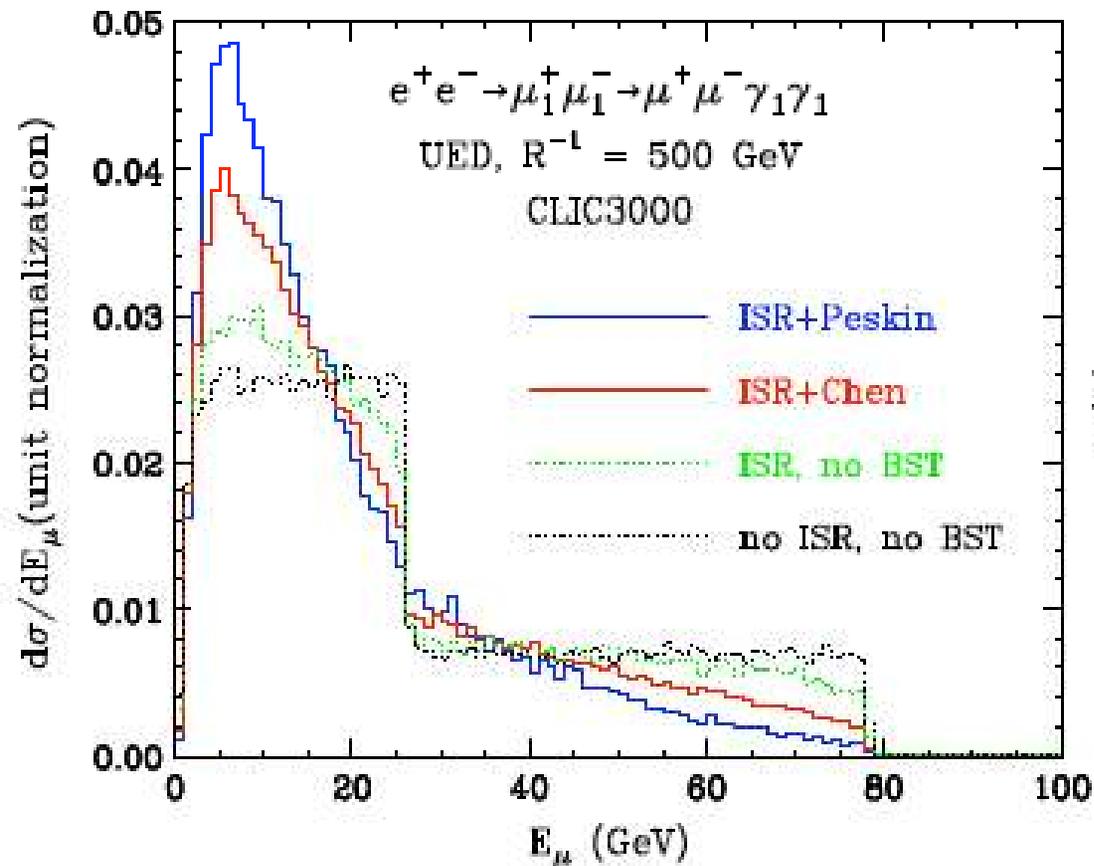
(2) ED's, KK Modes, Moose Models



Illustrative benchmark processes involving KK mode production:

Assess effect of Beamstrahlung ,
initial state radiation

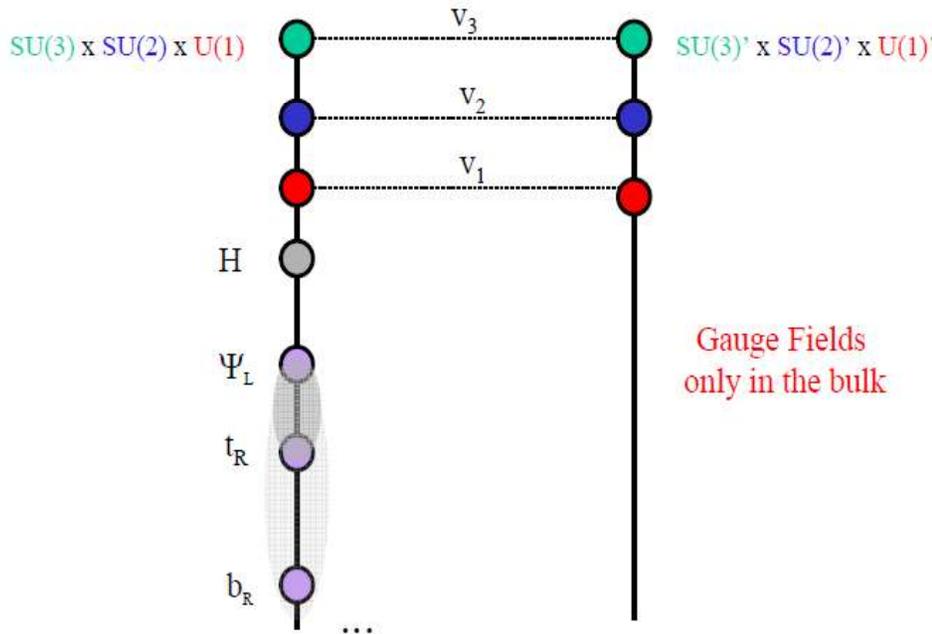
Datta, Kong and Matchev
[arXiv:hep-ph/0508161]



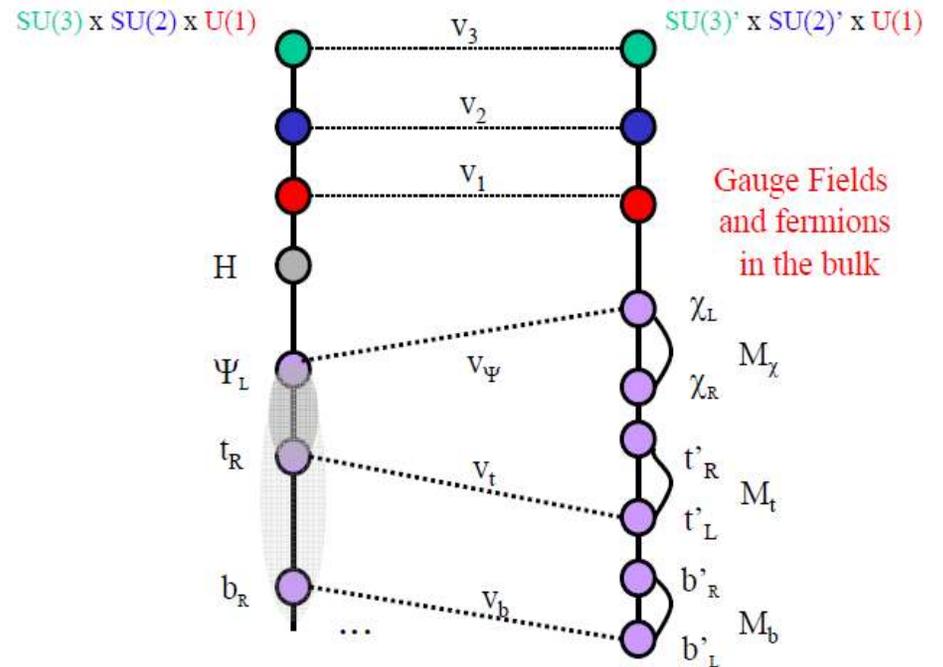
Systematize the discussion of models using
 “deconstruction” (= Moose models)

Overlap with generic models, e.g., strong
 dynamics, Little Higgs

Minimal Effective Extra Dimension Standard Model
 using Latticization (deconstruction)



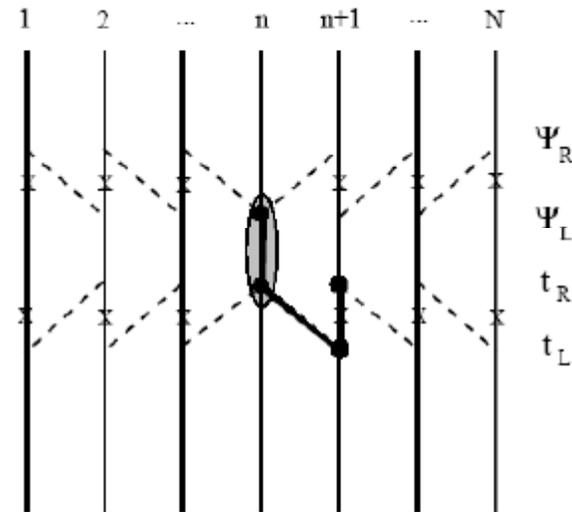
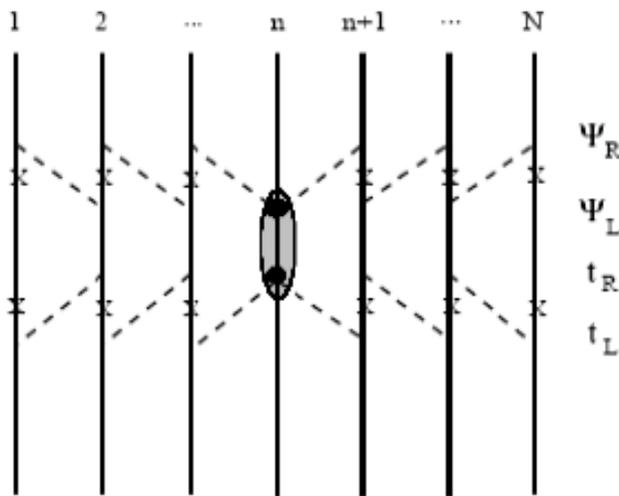
Minimal Effective Extra Dimension Standard Model



Example: Two dynamical models as deconstructed ED

Higgs is composite: $H \sim \begin{pmatrix} \bar{t}_L t_R \\ \bar{b}_L t_R \end{pmatrix}$

Top Quark Seesaw Model



Chi quarks

Production of pairs of (KK mode) fermions:

Eichten's formula:

$$\sigma_{\mu+\mu^- \rightarrow e+e^-} = \frac{87 \text{ fb}}{s / (\text{TeV})^2} \quad R_{\text{process of interest}} = \frac{\sigma_{\text{process of interest}}}{\sigma_{e+e^- \rightarrow \mu+\mu^-}}$$

e.g. R of “chi quarks” = $O(1)$ approximately

If chi quark mass is 1.5 TeV, require a > 3 TeV machine, and approximately $N \text{ fb}^{-1}$ to produce N pairs!

chi \rightarrow t + Z (top seesaw, Little Higgs theories)

Gunion:

A Fourth Generation?

- Precision electroweak, Yukawa perturbativity, require $m_{t'}, m_{b'} \lesssim 550$ GeV.
- LHC will soon either exclude or detect the 4th generation quarks.
- If a 4th generation exists then threshold scans of $b'\bar{b}'$ and $t'\bar{t}'$ production will give the best mass determinations.

Especially important might be the precise determination of $m_{t'} - m_{b'}$ which will give a crucial contribution to ΔT that might allow a heavier SM-like Higgs boson (as predicted in the MSSM context for a 4th generation).

- Meanwhile, If we see a light SM-like Higgs boson at the LHC with expected rates in the $gg \rightarrow h \rightarrow WW$ and $gg \rightarrow h \rightarrow \gamma\gamma$ final states, we will exclude a 4th generation based on non-decoupling loop effects.

We will also exclude a sequential W' with "SM-like" couplings to the light Higgs.

Defining ratios relative to SM expectations, R_{WW} and $R_{\gamma\gamma}$, a 4th generation and/or sequential W' will result in R values substantially > 1 . These increases derive from the loop triangle diagrams.

- The $gg \rightarrow h$ coupling counts heavy colored fermions in the loop.

cth: I view this as a form of technicolor, $m \rightarrow 600$ GeV

(2) ED's, KK Modes, Moose Models Questions:

Similar issues as with SUSY models: which models to simulate?
Which sub-processes are optimal benchmarks?

It is unlikely we'll see the emergence of a full ED. We'll probe lowest modes, but are these really KK modes of an ED?

Note that many dynamical models have (deconstruction) descriptions in terms of KK modes. At low energies these classes of objects are usually indistinguishable from ED: 4th gen condensation, top seesaw, Little Higgs (anything that can be represented by a Moose = deconstruction).

Perhaps we should enlarge the scope of this benchmark to include Non-SUSY dynamical models? (eg, subsume strong dynamics?)
"Moose Models"?

What do we simulate?

(3) Contact Interactions:

- New interactions (at scales not directly accessible) give rise to contact interactions.

$$\mathcal{L} = \frac{g^2}{\Lambda^2} (\bar{\Psi}\Gamma\Psi)(\bar{\Psi}\Gamma'\Psi)$$

- Muon collider is sensitive to contact interaction scales over **200 TeV** as is CLIC.
- Cuts on forward angles for a muon collider not an issue.
- Polarization useful to disentangle the chiral structure of the interaction. (CLIC)

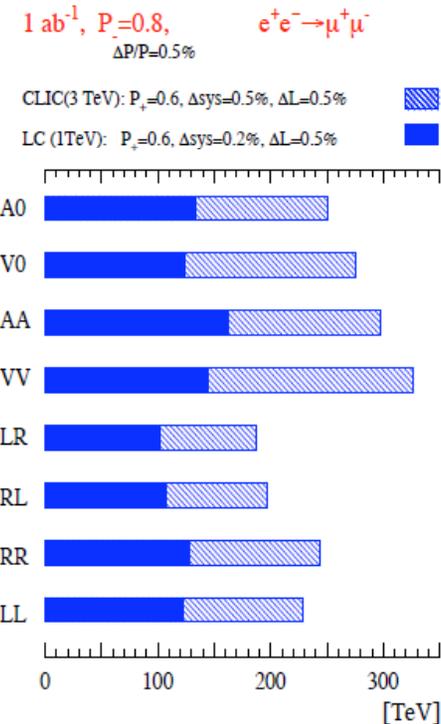
good benchmark process

Eichten:

Muon Collider Study

E.Eichten, S. Keller, [arXiv:hep-ph/9801258]

CLIC Study



(3) Contact Interactions Questions:

Contact interactions should be easy to treat fully and are potentially illustrative of polarization (chiral contact terms), geometry (cone obstruction) and energy reach issues.

Include quasielastic ops with $\mu + \mu \rightarrow \text{light } f + f$

$\mu + \mu \rightarrow \text{top} + \text{top}$

$\mu + \mu \rightarrow WW, ZZ, \text{etc.}$

Does more work remain to be done here? (beyond Eichten + Keller)

Gunion:

(4)

Z' s, KK excitations, etc.

First, let me paraphrase Langackers Physics Report. Z' includes new resonances associated with a gauge symmetry, KK excitations, etc.

- A new $U(1)'$ gauge symmetry is one of the best motivated extensions of the standard model.
- For example, $U(1)'$ s occur frequently in superstring constructions.
- If there is supersymmetry at the TeV scale, then both the electroweak and Z' scales are usually set by the scale of soft supersymmetry, so it is natural to expect $M_{Z'}$ in the TeV range.
- TeV-scale $U(1)'$ s (or Kaluza-Klein excitations of the photon and Z) frequently occur in models of dynamical symmetry breaking, Little Higgs models, and models with TeV^{-1} -scale extra dimensions.



□ Universal behavior for s-channel resonance

$$\sigma(E) = \frac{2J+1}{(2S_1+1)(2S_2+1)} \frac{4\pi}{k^2} \left[\frac{\Gamma^2/4}{(E-E_0)^2 + \Gamma^2/4} \right] B_{in} B_{out}$$

Convolute with beam resolution ΔE .

If $\Delta E \ll \Gamma$

$$R_{\text{peak}} = (2J+1) 3 \frac{B(\mu^+\mu^-) B(\text{visible})}{\alpha_{EM}^2}$$

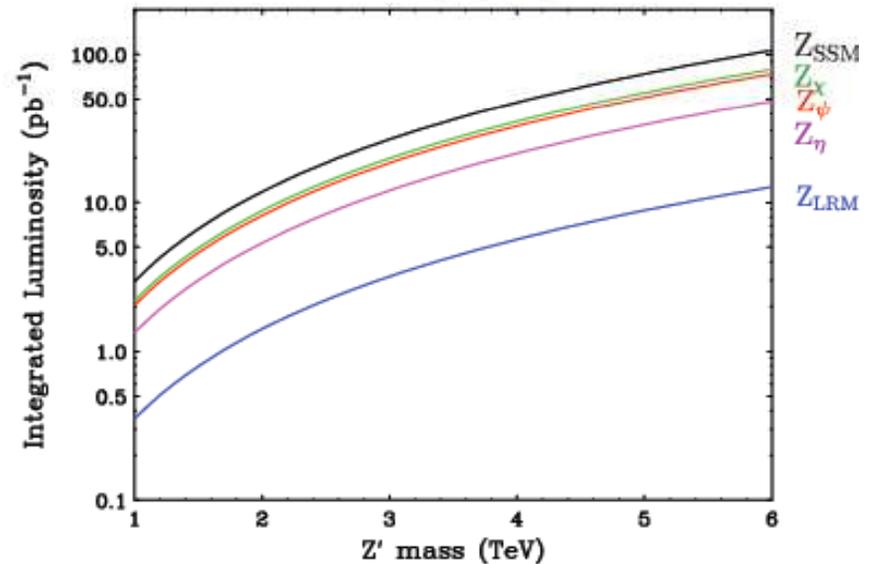
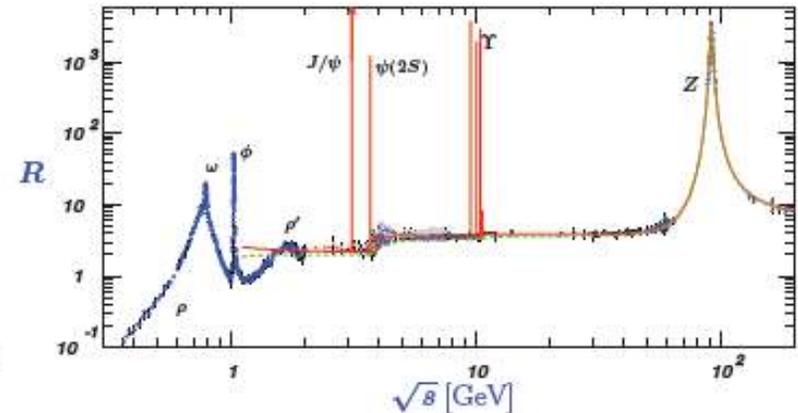
□ Can use to set minimum required luminosity for a muon collider:

- Likely new physics candidates:
 - scalars: h, H^0, A^0, \dots
 - gauge bosons: Z'
 - new dynamics: bound states
 - ED: KK modes
- Example - new gauge boson: Z'
 - SSM, E6, LRM
 - 5σ discovery limits: 4-5 TeV at LHC (@ 300 fb⁻¹)

Minimum luminosity at Z' peak:

$$\mathcal{L} = 0.5-5.0 \times 10^{30} \text{ cm}^{-2} \text{ sec}^{-1}$$

for $M(Z') \rightarrow 1.5-5.0 \text{ TeV}$



The integrated luminosity required to produce 1000 $\mu^+\mu^- \rightarrow Z'$ events on the peak

(4) S-channel Resonances Questions:

My personal view: This may be the single most important issue governing the possibility of having a muon collider. It is also likely to be ruled in or out by LHC soon. If Z' exists we can contemplate a low luminosity first MC (e.g., Neuffer's talk)

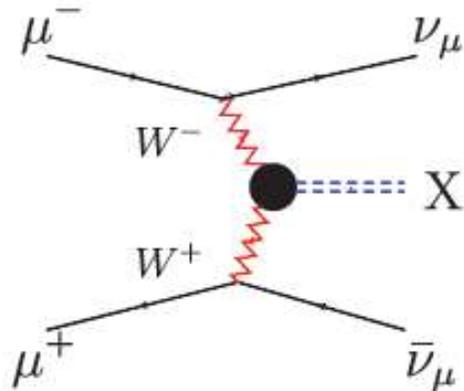
Many Z' 's to study; various final states, compelled in some models

Study dependence of sensitivity vs parameters, eg, Γ/M and Br's.

(5) Fusion Processes

Eichten:

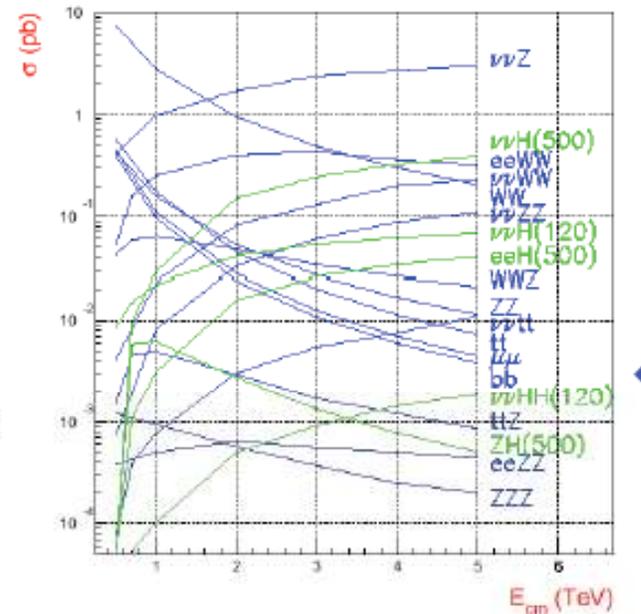
- For $\sqrt{s} > 1$ TeV - Fusion Processes
 - Large cross sections
 - Increase with s .
 - Important at multi-TeV energies
 - $M_X^2 < s$
- Backgrounds for SUSY processes
- t-channel processes sensitive to angular cuts



$$\sigma(s) = C \ln\left(\frac{s}{M_X^2}\right) + \dots$$

- An Electroweak Boson Collider

CLIC (or MC e \leftrightarrow μ)



Gunion:

No Higgs or Higgs-like states: the Strongly-Interacting Electroweak Scenario

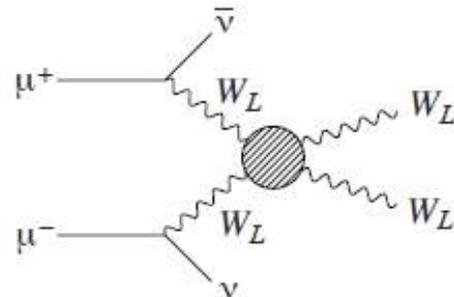
Much of the following material is based on papers by the Muon-Quartet (Barger, Berger, Gunion, Han).

- If no Higgs boson exists with $m_H < 600$ GeV, then, naively, partial wave unitarity of $W_L W_L \rightarrow W_L W_L$ will be violated at large s_{WW} .
The $W_L W_L \rightarrow W_L W_L$ scattering amplitude behaves as

$$A \sim \begin{cases} m_H^2/v^2 & \text{if light Higgs,} \\ s_{WW}/v^2 & \text{if no light Higgs.} \end{cases} \quad (1)$$

Understanding the manner in which unitarity violation is avoided at high energies will be crucial.

- $W_L W_L \rightarrow W_L W_L$ scattering will be probed via



Gunion:

- Energy reach is a critical matter here with subprocess energies $\sqrt{s_{WW}} \gtrsim 1.5$ TeV is needed to probe strong WW scattering.

Since $E_\mu \sim (3-5)E_W$, this condition implies

$$\sqrt{s_{\mu\mu}} \sim (3-5)\sqrt{s_{WW}} \gtrsim 4 \text{ TeV}. \quad (2)$$

- The ultimate goal is to determine all the different weak isospin amplitudes, in terms of which the physical scattering amplitudes can be written as

$$\begin{aligned} \mathcal{M}(W_L^+ W_L^- \rightarrow Z_L Z_L) &= \frac{1}{3}[T(0) - T(2)] \\ \mathcal{M}(Z_L Z_L \rightarrow W_L^+ W_L^-) &= \frac{1}{3}[T(0) - T(2)] \\ \mathcal{M}(W_L^+ W_L^- \rightarrow W_L^+ W_L^-) &= \frac{1}{6}[2T(0) + 3T(1) + T(2)] \\ \mathcal{M}(Z_L Z_L \rightarrow Z_L Z_L) &= \frac{1}{3}[T(0) + 2T(2)] \\ \mathcal{M}(W_L^\pm Z_L \rightarrow W_L^\pm Z_L) &= \frac{1}{2}[T(1) + T(2)] \\ \mathcal{M}(W_L^\pm W_L^\pm \rightarrow W_L^\pm W_L^\pm) &= T(2). \end{aligned}$$

Overlap with New Strong Dynamics:

Top Seesaw has a very heavy (TeV), broad composite Higgs accessible
 In the fusion production $WW \rightarrow \text{Higgs}$ (Chivukula, Dobrescu, Georgi, Hill)

Mass matrix for $t - \chi$ system is,

$$- (\bar{t}_L \quad \bar{\chi}_L) \begin{pmatrix} 0 & \mu \approx 600 \text{ GeV} \\ m \approx 1 \text{ TeV} & M \approx 4 \text{ TeV} \end{pmatrix} \begin{pmatrix} t_R \\ \chi_R \end{pmatrix} + \text{h.c.}$$

Diagonalized:

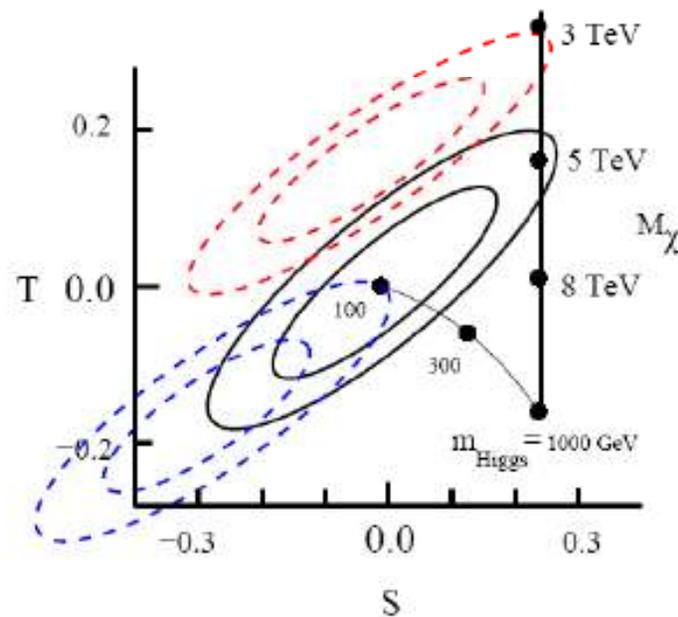
$$\begin{aligned} m_t &\approx \frac{\mu m}{M} \\ m_\chi &\approx M \end{aligned}$$

1998: Top Seesaw DOA (outside of the S - T ellipse
 $\sim 4\sigma$, (Chivukula, Dobrescu, Georgi, Hill)

1999: S - T error ellipse shifts along major axis tow:
 upper right (predicted by the theory!).

2001: Inconsistencies in data; keep only leptons \rightarrow
 Top Seesaw consistent and SM ruled out at $\sim 2\sigma$!!

Theory consistent for natural values of its paramet
 at the 2σ level ($m_t, \text{CTH}, \text{TaIt}$)



(5) Fusion Processes Questions:

Fully simulate measurement of broad heavy TeV scale Higgs

Probe energy reach and detector geometry (forward cone).

List of candidate fusion processes? E.g. $q\bar{q}$ production

(6) Higgs and MultiHiggs

Eichten:

- Various processes available for studying the Higgs at a multi-TeV muon collider
 - Associated production: Zh^0
 - $R \sim 0.12$
 - search for invisible h^0 decays
 - Higgsstrahlung: tth^0
 - $R \sim 0.01$
 - measure top coupling
 - W^*W^* fusion ($m_h = 120 \text{ GeV}$)
 - $\nu_\mu\nu_\mu h^0$: $R \sim 1.1 \ln(s)$ (s in TeV^2)
 - $\nu_\mu\nu_\mu h^0h^0$: measure Higgs self couplings

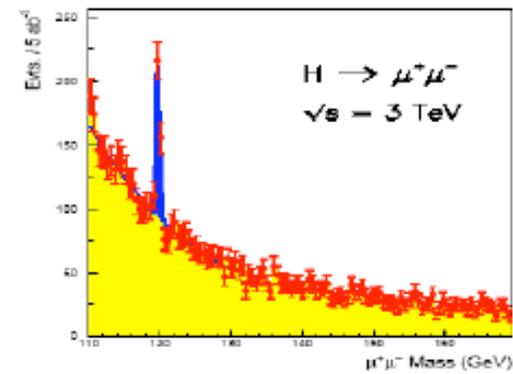
MC or CLIC:

needs 10 ab^{-1}

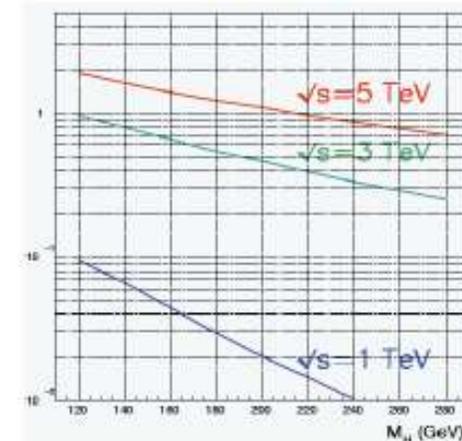
MC or CLIC:

good benchmark process

$m(H) = 120 \text{ GeV}$



$\sigma(\mu^+\mu^- \rightarrow \nu \bar{\nu} h^0 h^0) \text{ (fb}^{-1}\text{)}$



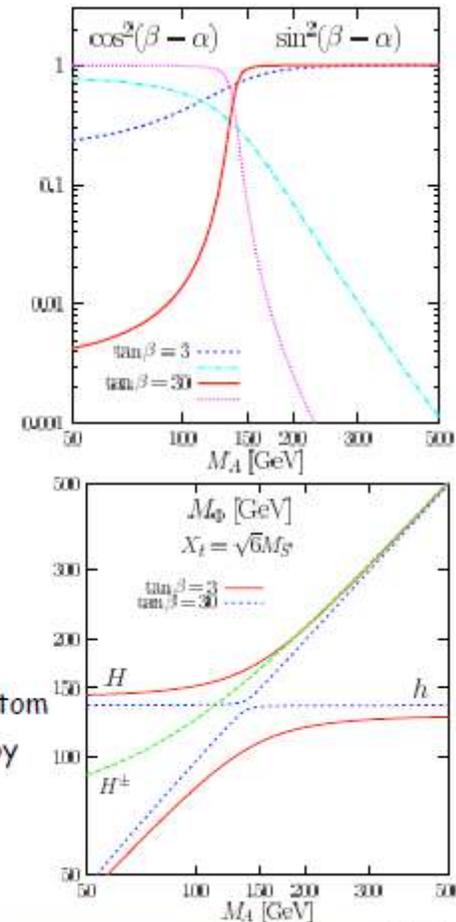
Eichten:

- Five scalar particles: h^0, H^0, A^0, H^\pm
- Decay amplitudes depend on two parameters: (α, β)

	$\mu^+\mu^-, b\bar{b}$	$t\bar{t}$	ZZ, W^+W^-	ZA^0
h^0	$-\sin\alpha/\cos\beta$	$\cos\alpha/\sin\beta$	$\sin(\beta-\alpha)$	$\cos(\beta-\alpha)$
H^0	$\cos\alpha/\cos\beta$	$\sin\alpha/\sin\beta$	$\cos(\beta-\alpha)$	$-\sin(\beta-\alpha)$
A^0	$-i\gamma_5 \tan\beta$	$-i\gamma_5/\tan\beta$	0	0

$$\tan 2\alpha = \frac{M_A^2 + M_Z^2}{M_A^2 - M_Z^2} \tan 2\beta.$$

- decoupling limit $m_{A^0} \gg m_{Z^0}$:
 - h^0 couplings close to SM values
 - H^0, H^\pm and A^0 nearly degenerate in mass
 - H^0 small couplings to VV , large couplings to ZA^0
 - For large $\tan\beta$, H^0 and A^0 couplings to charged leptons and bottom quarks enhanced by $\tan\beta$. Couplings to top quarks suppressed by $1/\tan\beta$ factor.



Battaglia:

SUSY Heavy Higgs Production

CLIC CDR H Benchmark

MSSM model
with non-unified gaugino masses

$$M_1=780 \text{ GeV}, M_2=940 \text{ GeV}, M_3=540 \text{ GeV}$$

$$m_0 = 303 \text{ GeV}, A_0 = -750 \text{ GeV},$$

$$\tan \beta = 24, \mu > 0$$

$$M_A = 902.6 \text{ GeV}$$

$$M_H = 902.4 \text{ GeV}$$

$$M_{H^\pm} = 906.3 \text{ GeV}$$

CLIC CDR χ Benchmark

cMSSM model

$$m_{1/2}=966 \text{ GeV}, m_0 = 800 \text{ GeV},$$

$$A_0 = 0, \tan \beta = 51, \mu < 0$$

$$M_A = 742.8 \text{ GeV}$$

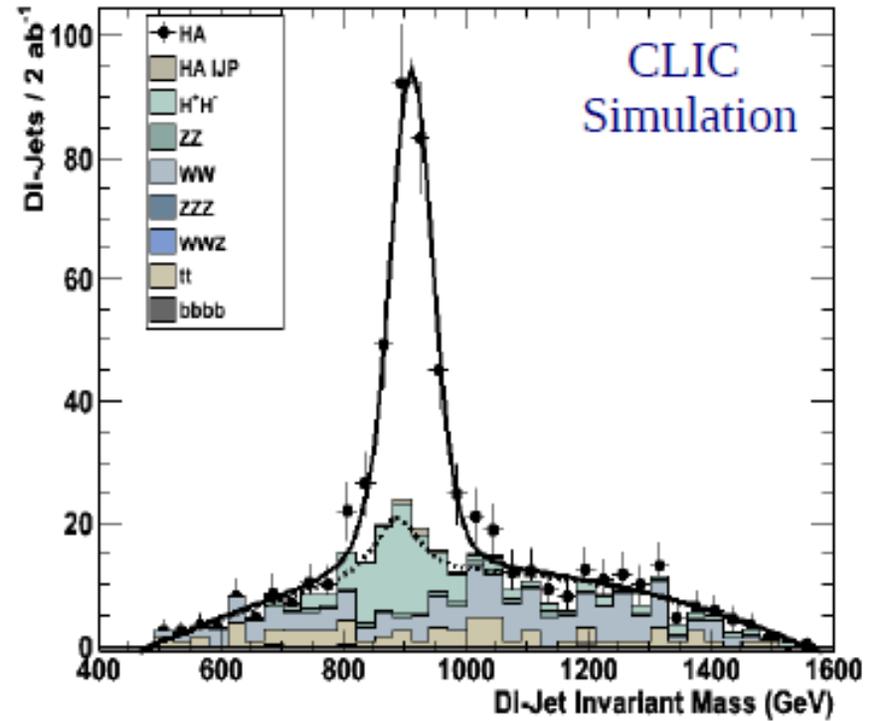
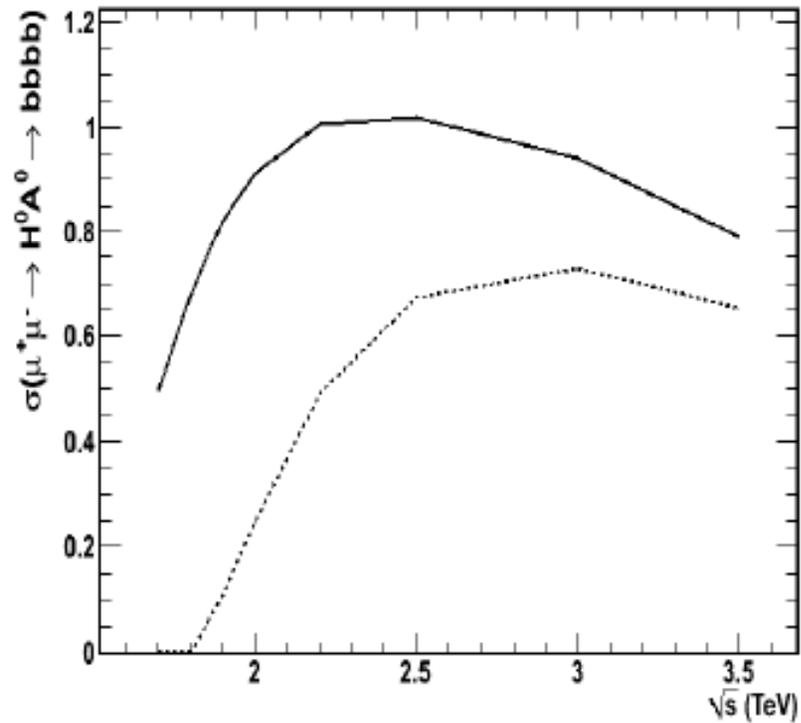
$$M_H = 742.0 \text{ GeV}$$

$$M_{H^\pm} = 747.6 \text{ GeV}$$

Determine $M(A)$, $\Gamma(A)$ from fit to bb invariant mass distribution

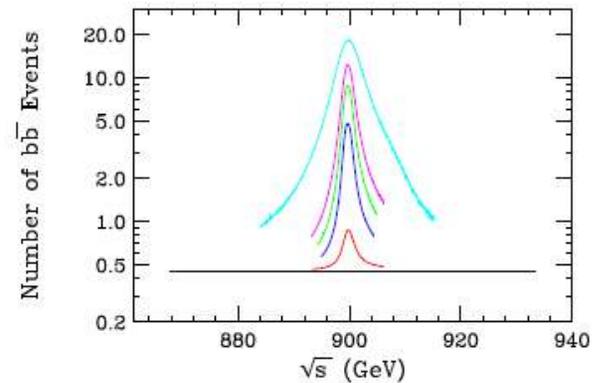
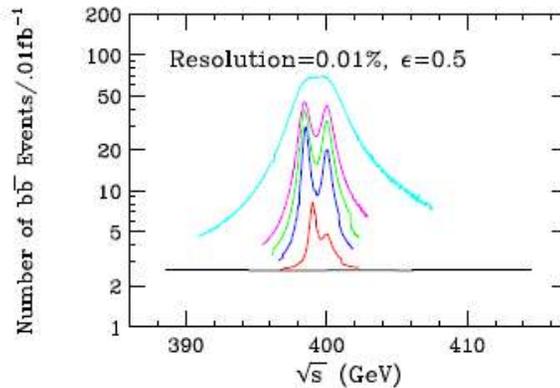
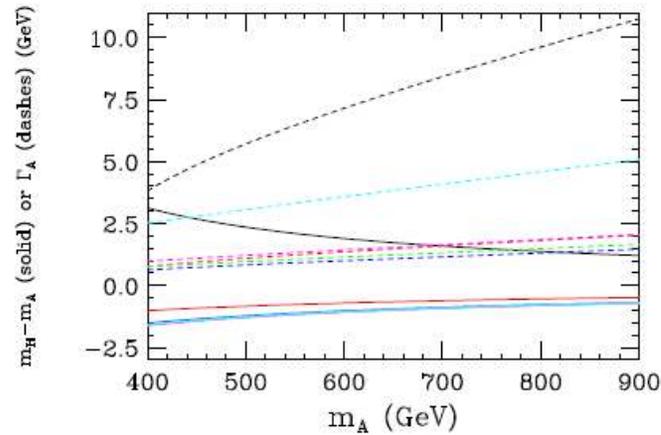
Battaglia:

SUSY Heavy Higgs Production



Higgs and MultiHiggs: H^0 A^0 Resonances (Gunion, Han, Cline)

Gunion:



Separating A from H . Beamstrahlung=0.01%, bremsstrahlung included. $L = .01 \text{ fb}^{-1}$ at any given \sqrt{s} . OK for $m_A = 400 \text{ GeV}$; Impossible for $m_A = 900 \text{ GeV}$.

Higgs and MultiHiggs H^0 A^0 Resonances (Gunion, Han, Cline)

Gunion:

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Since $E_\mu \sim (3-5)E_W$, this condition implies

$$\sqrt{s_{\mu\mu}} \sim (3-5)\sqrt{s_{WW}} \gtrsim 4 \text{ TeV}. \quad (2)$$

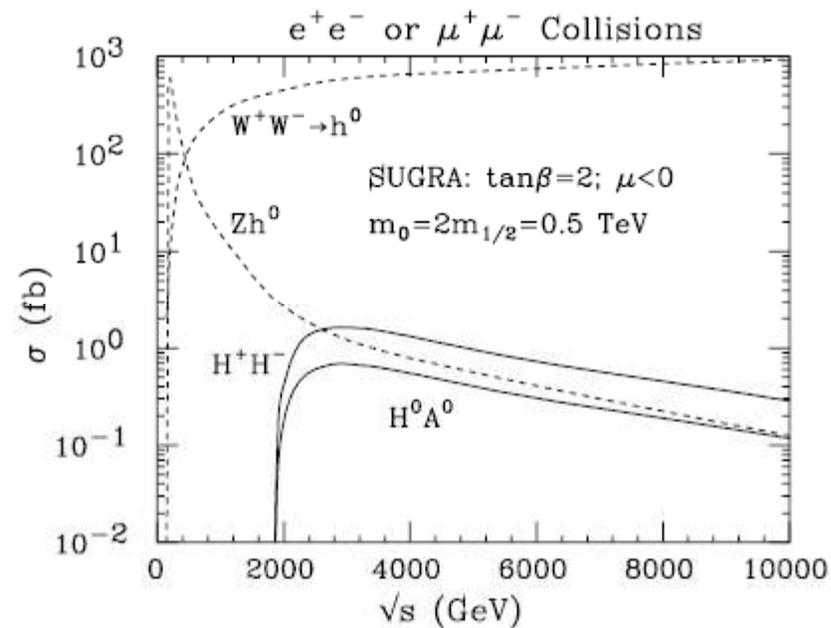
- The ultimate goal is to determine all the different weak isospin amplitudes, in terms of which the physical scattering amplitudes can be written as

$$\begin{aligned} \mathcal{M}(W_L^+ W_L^- \rightarrow Z_L Z_L) &= \frac{1}{3}[T(0) - T(2)] \\ \mathcal{M}(Z_L Z_L \rightarrow W_L^+ W_L^-) &= \frac{1}{3}[T(0) - T(2)] \\ \mathcal{M}(W_L^+ W_L^- \rightarrow W_L^+ W_L^-) &= \frac{1}{6}[2T(0) + 3T(1) + T(2)] \\ \mathcal{M}(Z_L Z_L \rightarrow Z_L Z_L) &= \frac{1}{3}[T(0) + 2T(2)] \\ \mathcal{M}(W_L^\pm Z_L \rightarrow W_L^\pm Z_L) &= \frac{1}{2}[T(1) + T(2)] \\ \mathcal{M}(W_L^\pm W_L^\pm \rightarrow W_L^\pm W_L^\pm) &= T(2). \end{aligned}$$

Separating A from H . Beamstrahlung=0.01%, bremsstrahlung included. $L = .01 \text{ fb}^{-1}$ at any given \sqrt{s} . OK for $m_A = 400 \text{ GeV}$; Impossible for $m_A = 900 \text{ GeV}$.

Gunion:

- Pair production at high \sqrt{s} is a good discovery option. Below is an illustration for $m_A \sim m_H \sim 1$ TeV. Need $\sqrt{s} \gtrsim 2.4m_A$ and $L = 100 - 1000 \text{ fb}^{-1}$ (detailed study needed).



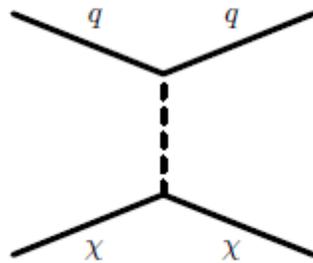
- Both of the above options would be good in the case of a general two-Higgs-doublet model.

(6) Higgs and Multi-Higgs Questions:

This requires thought about strategy and where it fits in the larger framework.

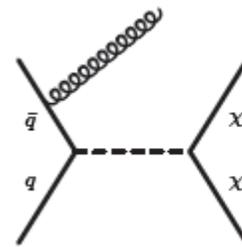
(7) Dark Matter at Colliders

Fox:



Direct detection

Look down
Low rate, low
energy recoil
events in
underground
labs



Mono-jet + \cancel{E}_T

Collider searches

Look small
Missing energy
events at
colliders

Fox: LEP can place bounds on DM-electron coupling
 Alternative avenue of attack, “cleaner” environment
 Hadrophobic DM proposed as explanation of DAMA
 Equal couplings to quarks and leptons?

Mono-jets \leftrightarrow Mono-photons (Z's ?)

$$q \leftrightarrow \ell$$

$$\mathcal{O}_V = \frac{(\bar{\chi}\gamma_\mu\chi)(\bar{\ell}\gamma^\mu\ell)}{\Lambda^2}, \quad (\text{vector, s-channel})$$

$$\mathcal{O}_S = \frac{(\bar{\chi}\chi)(\bar{\ell}\ell)}{\Lambda^2}, \quad (\text{scalar, s-channel})$$

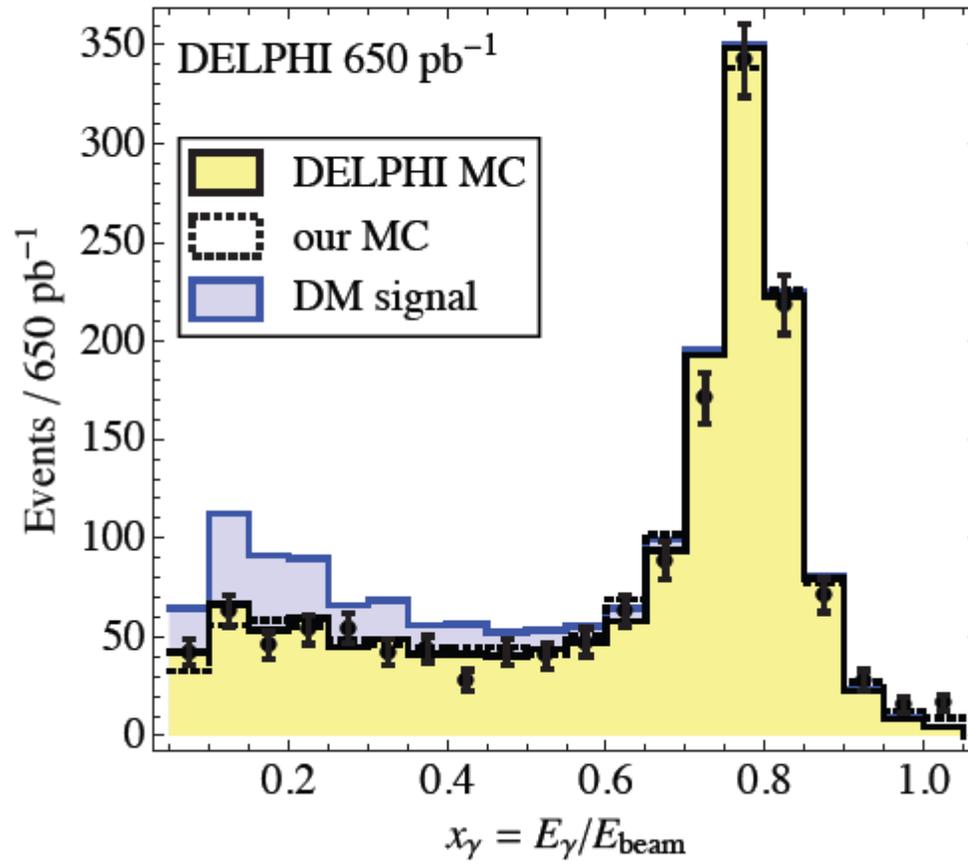
$$\mathcal{O}_A = \frac{(\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{\ell}\gamma^\mu\gamma_5\ell)}{\Lambda^2}, \quad (\text{axial vector, s-channel})$$

$$\mathcal{O}_t = \frac{(\bar{\chi}\ell)(\bar{\ell}\chi)}{\Lambda^2}, \quad (\text{scalar, t-channel})$$

“Dark Matter contact terms” with
 associated radiated gauge boson

Fox:

LEP is cleaner, use spectral information



(7) Dark Matter Questions:

Need to study and generate basic plots for high energy lepton colliders. We need this paper asap.

γ + missing ET, and Z + missing ET

Is this a subset of contact terms?

High energy machine may produce the mediator.

Urgently needs a study; this is a sexy topic.

New Strong Dynamics (Martin)

Standard Model and other issues (eg, QCD Giele and Stavenga)

□ Ayres Freitas, Tao Han, E.E.: A first pass at benchmarks

Eichten:

Final states	Exp. considerations	Theo. considerations
$\ell^+\ell^-$, $\ell = e, \mu, \tau$	Ecal, μ -chamber; τ -tagging at HE	Contact interaction
$q\bar{q}$, $q = u, c, s, b$	Hcal, b -tagging at HE	Contact interaction
$\gamma\gamma$	Ecal	QED
$\gamma + \cancel{E}$	Ecal, missing energy	missing mass/dark matter
$W^+W^- \rightarrow q\bar{q}', q\bar{q}'$	Hcal: M_W -reconstruct	New resonances
$W^+W^- \rightarrow \ell\nu, q\bar{q}'$	\cancel{E} , M_W -reconstruct	New resonances
$ZZ \rightarrow q\bar{q}, q\bar{q}$	Hcal: M_Z -reconstruct	New resonances
$ZZ \rightarrow \ell^+\ell^-, \nu\nu$	Ecal; \cancel{E}	New resonances
$t\bar{t} \rightarrow bW^+ \bar{b}W^+$	E,Hcal, b -tagging, mass reconstruct	New heavy quarks
ZHH	multiple $b\bar{b}$	Higgs self coupling
$W^+W^- \rightarrow HH$	multiple $b\bar{b}$	Higgs self coupling
$\nu\nu W^+W^- \rightarrow 4j + \cancel{E}$	Hcal: M_W -reconstruct	WW scattering
$\nu\nu ZZ \rightarrow 4j + \cancel{E}$	Hcal: M_Z -reconstruct	WW scattering
$\nu\nu t\bar{t}$	Hcal: m_t -reconstruct	$WW \rightarrow t\bar{t}$
$\tilde{\chi}_i \tilde{\chi}_j$	leptons, jets + \cancel{E}	SUSY
$\tilde{\ell}_i \tilde{\ell}_j$	leptons + \cancel{E}	SUSY
$\tilde{q}_i \tilde{q}_j$	jets + \cancel{E}	SUSY

Z'

KK mode

Strong Dynamics

4th Generation,
Little Higgs Models

Strong Dynamics

SUSY

Is this the top five?

Process	Observables	Experimental considerations	Theoretical considerations	Strategy
Z'	M, Γ couplings final states	energy scale = M ? beam energy resolution initial state polarization ? cone size	coupling strength L – R chiral compelling models	first priority if confirmed at LHC; may enable low-L machine
WW fusion	M couplings states?	beam energy initial state polarization cone size !	coupling strength strong dynamics (broad TeV scale Higgs)	High priority if no low mass Higgs at LHC
SUSY	many states decay chains m's, Br's, σ 's	beam energy resolution initial state polarization missing ET cone size	Mainstream theory perturbative dynamics MSSM or else?	Simply depends upon confirmation at LHC
Dark Matter	γ or Z + missing ET	cms frame is known initial state polarization? missing ET cone size	Very interesting how powerful are limits? Need the paper asap !	High priority appears easy to do
Contact Term				